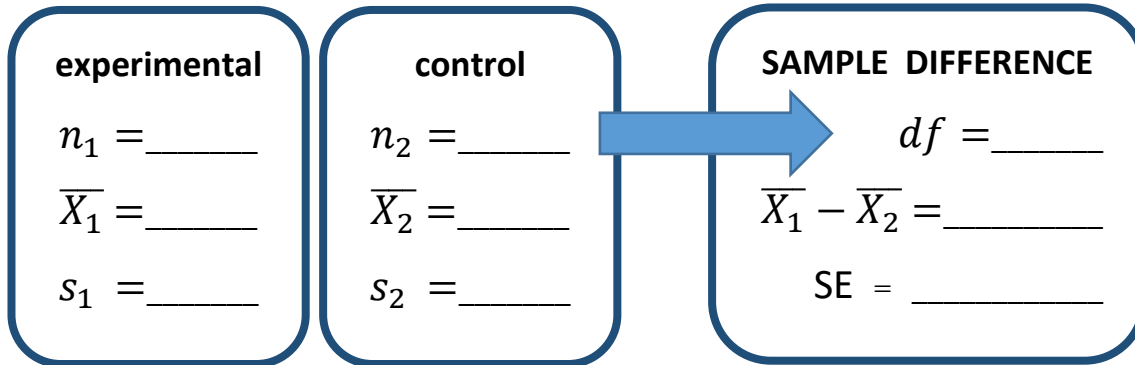


7 A *7. Two Independent Samples: Mean Difference Hypothesis Test

In a study of a new treatment for phobia, the data for the experimental group were $\bar{X}_1 = 27.2$, $S_1 = 4$, and $n_1 = 15$. The data for the control group were $\bar{X}_2 = 34.4$, $S_2 = 14$, and $n_2 = 15$.

a.) Calculate the **separate-variances** t value.



$H_0 : \underline{\hspace{2cm}}$

$H_a : \underline{\hspace{2cm}}$

Separate variances

$$SE = \sqrt{\frac{s_1^2}{n_1} + \frac{s_2^2}{n_2}}$$

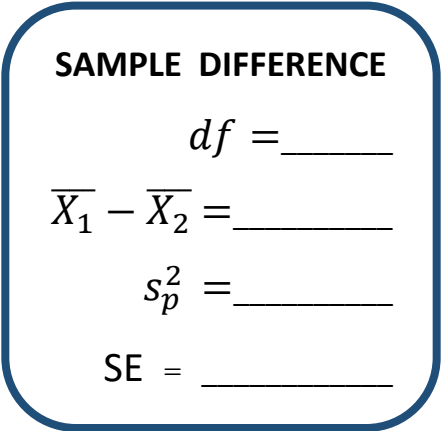
Formula 7.8

$$t = \frac{\bar{D} - 0}{SE}$$

$\min(n_1, n_2) - 1 < df < n_1 + n_2 - 2$

$t(\underline{\hspace{2cm}}) = \underline{\hspace{2cm}}$

b.) Calculate the **pooled-variance** t value.



Pooled variance - Formula 7.6

$$s_p^2 = \frac{(n_1 - 1)s_1^2 + (n_2 - 1)s_2^2}{n_1 + n_2 - 2}$$

$$SE = \sqrt{s_p^2 \left(\frac{1}{n_1} + \frac{1}{n_2} \right)}$$

Formula 7.8

$$t = \frac{\bar{D} - 0}{SE}$$

$df = n_1 + n_2 - 2$

$t(\underline{\hspace{2cm}}) = \underline{\hspace{2cm}}$

a.) Design a **true experiment** involving two groups (i.e., the experimenter decides, at random, in which group each participant will be placed).

b.) Design a **quasi-experiment** (i.e., an observational study) involving groups not created, but only selected, by the experimenter.

How are your **conclusions** from this experiment **limited**, even if the results are statistically significant?

On the first day of class, a third-grade teacher is told that **12 of his students are "gifted,"** as determined by IQ tests, and the **remaining 12 are not.** In reality, the two groups have been carefully matched on IQ and previous school performance.

At the end of the school year, the gifted students have a grade **average of 87.2** with $s = 5.3$, whereas the other students have an **average of 82.9**, with $s = 4.4$.

Perform a t test to decide whether you can conclude from these data that false expectations can affect student performance; use $\alpha = .05$, two-tailed. ← use separate variances (not pooled)

"gifted"	"not gifted"	SAMPLE DIFFERENCE
$n_1 =$ _____	$n_2 =$ _____	$df =$ _____
$\bar{X}_1 =$ _____	$\bar{X}_2 =$ _____	$\bar{X}_1 - \bar{X}_2 =$ _____
$s_1 =$ _____	$s_2 =$ _____	$SE =$ _____

H0 : _____

Ha : _____

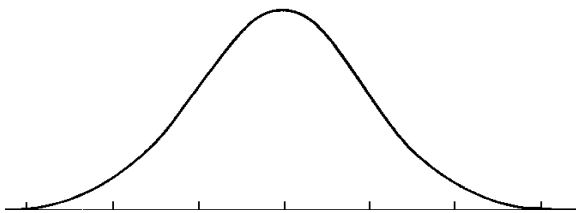
Separate variances

$$SE = \sqrt{\frac{s_1^2}{n_1} + \frac{s_2^2}{n_2}}$$

Formula 7.8

$$t = \frac{\bar{D} - 0}{SE}$$

$$\min(n_1, n_2) - 1 < df < n_1 + n_2 - 2$$



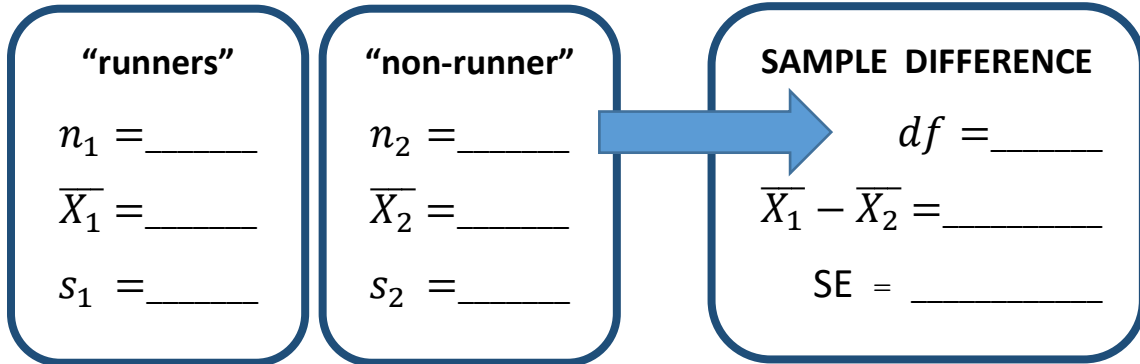
$t(\text{_____}) =$ _____

$t_{cv} =$ _____

CONCLUSION:

7 B *4. Two Independent Samples: Mean Difference Confidence Interval

A researcher tested the diastolic blood pressure of **60 marathon runners** and **60 nonrunners**. The **mean** for the runners was **75.9 mmHg** with **s = 10**, and the **mean** for the nonrunners was **80.3 mmHg** with **s = 8**.



a.) Find the 95% confidence interval for the difference of the population means.

← use separate variances (not pooled)

Separate variances

$$SE = \sqrt{\frac{s_1^2}{n_1} + \frac{s_2^2}{n_2}}$$

$$\min(n_1, n_2) - 1 < df < n_1 + n_2 - 2$$

Formula 7.10

$$\bar{X}_1 - \bar{X}_2 \pm t_{CV} \cdot SE$$

95% CI: (_____ , _____)

b.) Find the 99% confidence interval for the difference of the population means.

99% CI: (_____ , _____)

c.) Use the confidence intervals you found in parts a and b to test the null hypothesis that running has no effect on blood pressure at the **.05 and .01** levels, **two** tailed.

H_0 : _____

H_a : _____

Alpha = .05

- Runners are different
- no difference

Alpha = .01

- Runners are different
- no difference

7 B 6. Two Independent Samples: Mean Difference Hypothesis Test

A psychologist is studying the concentration of a certain enzyme in saliva as a possible indicator of chronic anxiety level.

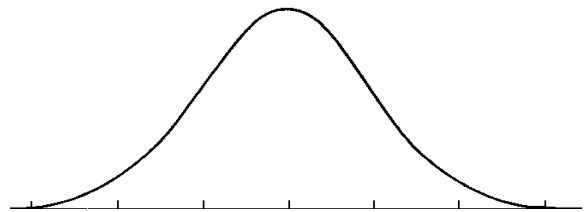
A **sample of 12** anxiety neurotics yields a **mean** enzyme concentration of **3.2** with **s = .7**. For comparison purposes, a sample of **20 subjects** reporting low levels of anxiety is measured and yields a **mean** enzyme concentration of **2.3**, with **s = .4**.

a.) Perform a t test (alpha = .05, two-tailed) to determine whether the two populations sampled **differ** with respect to their mean saliva concentration of this enzyme. ← use pooled variances (not separate)

<p>"neurotics"</p> <p>$n_1 =$ _____</p> <p>$\bar{X}_1 =$ _____</p> <p>$s_1 =$ _____</p>	<p>"low anx"</p> <p>$n_2 =$ _____</p> <p>$\bar{X}_2 =$ _____</p> <p>$s_2 =$ _____</p>	<p>SAMPLE DIFFERENCE</p> <p>$df =$ _____</p> <p>$\bar{X}_1 - \bar{X}_2 =$ _____</p> <p>$SE =$ _____</p>
---	---	---

$H_0 :$ _____

$H_a :$ _____



Pooled variance - Formula 7.6

$$s_p^2 = \frac{(n_1 - 1)s_1^2 + (n_2 - 1)s_2^2}{n_1 + n_2 - 2}$$

$$SE = \sqrt{s_p^2 \left(\frac{1}{n_1} + \frac{1}{n_2} \right)}$$

Formula 7.8

$$t = \frac{\bar{D} - 0}{SE}$$

$$df = n_1 + n_2 - 2$$

$t(\text{_____}) =$ _____

$t_{cv} =$ _____

CONCLUSION:

b.) Based on your answer to part a, what **type of error** (Type I or Type II) might you be making?

- Type I
- Type II

7 C 1. Two Independent Samples: Mean Difference Hypothesis Test

Perform a two-sample t test to determine whether there is a statistically significant **difference** in **baseline heart rate** between the men and the women of Ihno's class.

Type R code into Skeleton and Knit to get pdf including output

Do you have homogeneity of variance? Explain.

- yes
- no

Report your **results** as they might appear in a journal article.
Include the **95% CI** for this gender difference.

7 C 2. Two Independent Samples: Mean Difference Hypothesis Test

Perform a two-sample t test to determine whether there is a statistically significant **difference** in **phobia** between the men and the women of Ihno's class.

Type R code into Skeleton and Knit to get pdf including output

Do you have homogeneity of variance? Explain.

- yes
- no

Report your **results** as they might appear in a journal article.
Include the **95% CI** for this gender difference.

7 C 3. Two Independent Samples: Mean Difference Hypothesis Test

Perform a two-sample t test to determine whether the students in the **“impossible to solve”** condition exhibited significantly **higher postquiz HEART RATES** than the students in the **“easy to solve”** condition.

Type R code into Skeleton and Knit to get pdf including output

Is this t test significant at the .05 level? Explain.

- yes
- no

Is this t test significant at the .01 level? Explain.

- yes
- no

Find the 99% CI for the difference of the two population means.

99% CI: (_____ , _____)

7 C 4. Two Independent Samples: Mean Difference Hypothesis Test

Perform a two-sample t test to determine whether the students in the **“impossible to solve”** condition exhibited significantly **higher postquiz ANXIETY** than the students in the **“easy to solve”** condition.

Type R code into Skeleton and Knit to get pdf including output

Is this t test significant at the .05 level? Explain.

- yes
- no

Is this t test significant at the .01 level? Explain.

- yes
- no

Find the 99% CI for the difference of the two population means.

99% CI: (_____ , _____)

Perform a two-sample t test to determine whether **coffee drinkers** exhibited significantly higher **postquiz heart rates** than **nondrinkers** at the .05 level.

Type R code into Skeleton and Knit to get pdf including output

t(_____) = _____

2-tail: p = _____

- Coffee drinkers are different
 no difference

Is this t test significant at the .01 level?

- Coffee drinkers are different
 no difference

Find the **99% CI** for the **difference** of the two population means...

99% CI: (_____ , _____)

... and explain its connection to your decision regarding the null hypothesis at the .01 level.

8 A 3. Cohen's d

If the **mean** verbal SAT score is **510** for women and **490** for men, what is the **d** ?

d = _____

8 A 9. Extremely large t-value

The **t value** calculated for a particular two group experiment was **- 23**.

Which of the following can you conclude?

- a. A calculation error must have been made.
- b. The number of participants must have been large.
- c. The effect size must have been large.
- d. The expected t was probably large.
- e. The alpha level was probably large.

Explain your choice.

8 A *10. Cohen's d

Suppose you are in a situation in which it is **more important to reduce Type II errors** than to worry about Type I errors.

Which of the following could be helpful in reducing Type II errors?

- a. Make alpha unusually large (e.g., .1).
- b. Use a larger number of participants.
- c. Try to increase the effect size.
- d. All of the above.
- e. None of the above.

Explain your choice.

8 B 6. Power & Sample Size

A **drug** for treating headaches has a side effect of lowering diastolic blood pressure **by 8 mmHg** compared to a **placebo**. If the **population standard deviation** is known to be **6 mmHg**,

a.) What would be the **power** of an experiment ($\alpha = .01$, **two-tailed**) comparing the drug to a placebo using **15 participants per group**?

power = _____

b.) How **many participants** would you need **per group** to attain **power = .95**, with $\alpha = .01$, **two-tailed**?

n = _____

8 C 2. Power & Sample Size -- USE G*Power SOFTWARE --

~~Given the adjusted effect size from part a of the previous exercise,~~

I am changing this problem!

How many participants of each gender (assuming equal sample sizes) would be needed for power to be **.8**, with alpha = **.05**, **two-tailed** test?

For a small effect size ($d = .2$)

n = _____

For a medium effect size ($d = .5$)

n = _____

For a large effect size ($d = .8$)

n = _____